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ON M-PROJECTIVE CURVATURE TENSOR OF PARA-KENMOTSU MANIFOLDS ADMITTING ZAMKOVY CONNECTION

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**Abstract:** In this paper, relation between curvature tensors of Levi-Civita connection and Zamkovoy connection on para-Kenmotsu manifolds have been obtained. Quasi M-projectively flat, M-projectively flat and  $\phi$ -M-projectively flat para-Kenmotsu manifolds admitting Zamkovoy connection have been studied. Also, para-Kenmotsu manifolds admitting Zamkovoy connection satisfying  $\bar{M}(\xi, U) \cdot \bar{R} = 0$  and  $\bar{M}(\xi, U) \cdot \bar{S} = 0$  have been developed.

**Keywords and Phrases:** Para-Kenmotsu manifold, M-projective curvature tensor, Zamkovoy connection, Quasi M-projectively flat,  $\phi$ - M-projectively flat, Bianchi's identity.

2020 Mathematics Subject Classification: 53C15, 53D15.

1. Introduction

In 2008, the notion of Zamkovoy connection was introduced by S. Zamkovoy [21] for paracontact manifold. Also this is known as canonical paracontact connection whose torsion is the obstruction of paracontact manifold to be para-Sasakian

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manifold. For an n-dimensional almost contact metric manifold  $M^n$  consisting of  $(1, 1)$  tensor field  $\phi$ , a 1-form  $\eta$ , a vector field  $\xi$  and a Riemannian metric  $g$  endowed with an almost contact metric structure  $(\phi, \xi, \eta, g)$ . Zamkovoy connection is defined by

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